## N(ORTEL

# XA-Core On/Off-Switch Algorithm Adjustment 

Nicolae Santean - 0S04
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- Defining the problem
- Terms and definitions
- The challenges
- The methodology
- Formulas and the adjustment
- Statistics, the analyzing tool
- Proposal, the on-switch algorithm


## Defining the problem - example



BEFORE (the partial de-serialization)
$\mathbf{W b}=10$ waitings

AFTER

Wa = 3 waitings

Def. Informally, a cluster is a maximal group of processors in contention with each other such that the resulting collision handlers are serialized despite the partial de-serialization.

- Singleton - a processor not involved in any contention (at a certain given time).
- Pair - two processors involved in only one contention: with each other.
- Cluster - a maximal group of processors that:

1. are in contention with each other and
2. can not be split in two subgroups such that the processors from one subgroup are not in contention with the processors of the other subgroup.

- Cluster size - the number of processors of that cluster.
- Edge probability - the probability that 2 processes collide: $\mathbf{q}$, in the on-switch algorithm.
- Random graph - a graph where the edges are taken with a certain probability (edge probability).

Obs. Considering the contention graph of the system at a given time, the clusters correspond to the connected components of that graph.


- Hard to derive the number of handlers generated by a collision cluster .
- Hard to describe the clustering topology - needs costly measurements; for example measurements for the total number of clusters in the system or for the number of clusters of a certain size etcetera.
- To estimate the edge probability (probability that two processes collide) - needs extra measurements. (applicable only for the on-switch algorithm)
- The analytical models are facing the random graph irregularity, for example:
- the transition phase
- the giant component

Obs. The trivial cases: (A) when the number of processors is less than 4, or
(B) when the total number of clusters is either very small or very large,
lead to almost no difference in waiting on serialization.


1. Separate (the power spent on waiting caused by) the serialized scheduler by the serialized collision/rollback handler (at capacity).
2. Consider the worst case scenario, when a cluster of size $\mathbf{m}$ generates $\mathbf{m - 1}$ serialized handlers (low impact assumption).
3. Statistically find the average waiting on serialized collision handlers in both cases: before the change (partial de-serialization) and after the change: $\mathrm{w}_{\mathrm{b}}$ and $\mathrm{w}_{\mathrm{a}}$.
4. Eliminate (average out) the edge-probability (am I allowed to do this ?).
5. Compute the scaling factor $w_{a} / w_{b}$.
6. Apply (hardcode) the scaling to the existing formula.
$\mathrm{k}=$ the number of processors.
$\alpha_{i}=$ the number of clusters of size $i$.
$\mathrm{w}_{\mathrm{a}}=$ the waiting after the change.
$w_{b}=$ the waiting before the change.
waiting in a cluster of size i

$$
\begin{aligned}
& w_{a}=\frac{1}{2} \cdot \sum_{i=1}^{k}\left[\alpha_{i} \cdot(i-1) \cdot(i-2)\right] \\
& w_{b}=\frac{1}{2} \cdot\left(k-\sum_{i=1}^{k} \alpha_{i}\right) \cdot\left(k-\sum_{i=1}^{k} \alpha_{i}-1\right)
\end{aligned}
$$

total number of handlers in the system
k = the number of processors.
$\mathrm{s}_{\mathrm{rs}}=$ the average serialized part of the collision/rollback handler.
$\mathrm{s}_{\mathrm{s}}=$ the average successful transaction time.
$B_{u}=$ the data contention probability projected to the level expected at the $100 \%$ occupancy level of the Rated Power.
$x_{s}=$ the estimated share of the Useful Processing Power used by the scheduler at capacity.

$$
\begin{aligned}
& w_{s_{-} \text {old }}=\frac{1}{2} \cdot[k \cdot(\overbrace{\left.\left.s_{r s} \cdot \frac{B_{u}}{s_{s} \cdot\left(1-B_{u}\right)}+x_{s}\right)\right]^{2}}^{\text {collision hander share schedule share }} \\
& w_{s_{-} \text {new }}=\frac{1}{2} \cdot\left(k \cdot \frac{s_{r s} \cdot B_{u}}{s_{s} \cdot\left(1-B_{u}\right)}\right)^{2} \cdot\left(\frac{\bar{w}_{a}}{\bar{w}_{b}}+\frac{1}{2} \cdot\left(k \cdot x_{s}\right)^{2}\right.
\end{aligned}
$$

## D:IXA-CORE>rndgr.exe 70.05100000000

## Random Graphs Analyzer v1.a.2.2001

started at Sat Feb 17 00:48:25 2001
$\{k=7, p=0.05000$, iter $=100000000\}$
$\{w a=0.21926$, $w b=0.42494$, scale $=0.51598\}$
[a1:5.18569 a2:0.66581 a3:0.12297 a4:0.02312 a5:0.00371 a6:0.00043 a7:0.00003]
ended at Sat Feb 17 01:06:33 2001

D:IXA-CORE>



| PEs : | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| scale : | 0.8166 | 0.6852 | 0.5916 | 0.5233 | 0.4723 | 0.4332 | 0.4026 | 0.3782 |



## The on-switch algorithm

Step 6 of the algorithm - that computes the processing power spent on waiting by serialized collision/rollback handler and the scheduler at capacity - is adjusted to:

$$
w_{s_{-} \text {new }}=\frac{1}{2} \cdot\left(k \cdot \frac{s_{r s} \cdot B_{u}}{s_{s} \cdot\left(1-B_{u}\right)}\right)^{2} \cdot \frac{\bar{w}_{a}}{\bar{w}_{b}}+\frac{1}{2} \cdot\left(k \cdot x_{s}\right)^{2}
$$

where the scaling factor $\frac{\bar{w}_{a}}{\bar{W}_{b}}$ is given by the following table:

| PEs : | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| scaling : | 0.8166 | 0.6852 | 0.5916 | 0.5233 | 0.4723 | 0.4332 | 0.4026 | 0.3782 |

## Choices

## EITHER

Use the same methodology as the on-switch adjustment.

## OR

Take advantage of the available edge probability $\mathbf{q}$ and determine the exact scaling. This can be done by calling the analyzing tool:

> rndgr(k, q, 1000000);
instead of averaging out the probability. For $\mathrm{k}=11$ and $1,000,000$ iterations, the call takes about 30 seconds for a 16 bit executable on a Pentium III processor at 500 MHz .

